Calculus ABC Test II-Version 2379

Name: Luy Student Number: _____

Lecture section: _____

PUT ANSWERS IN BOXES. NO BOOKS/NOTES/CALCULATORS. DO YOUR OWN WORK. Simplify answers where possible. Include units where needed. All angles are in radians. $\log = \log_{10}$.

1. Find the equation of the line through the point (1,7) with slope 1 in *slope-intercept* form.

2. Find the value of:

 $\arctan(-1)$

3. Solve for x:

$$\frac{x-2}{5} = \frac{x+4}{20}$$

- 4. Rewrite by completing the square: $3r^2 6r 1$
- 5. Find the value of:

 $\arccos(-1)$

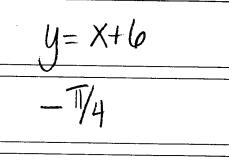
- **6.** Solve for t:
- $e^{3t} a^3 = 0$

7. Graph the function $y = e^{-x}$. Label with the following values (if applicable): each intercept, location of each asymptote, and (x, y) coordinates of each min and max. Also include the coordinates of one other point.

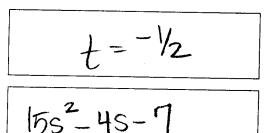
8. Solve for t (write answer as a rational number):

$$100^{3t+2} = 10$$

9. If
$$f(s) = 5s^3 - 2s^2 - 7s + 9$$
, find $f'(s)$.



$$3(r-1)^2 - 4$$



- 11. If $y = \tan^5(\theta)$, find $dy/d\theta$.
- **12.** If $z = \tan^3(t)$, find dz/dt.
- 13. Find the derivative of

$$f(x) = 4e^x \cos(x)$$

14. Find the derivative of

$$f(x) = \frac{1+x}{\sqrt{x}}$$

15. Find the derivative of

$$f(x) = \frac{\ln(x)}{x+1}$$

16. Find a function f(t) whose derivative is:

$$f'(t) = \sqrt{t} + \frac{2}{t}$$

17. Evaluate the indefinite integral:

$$\int (2-x)^4 \, dx$$

18. Evaluate the indefinite integral:

$$\int e^t \sin(e^t) \, dt$$

19. Evaluate the definite integral:

$$\int_0^2 (6x^2 - x) \, dx$$

20. Evaluate the definite integral:

$$\int_1^2 e^{-x} \, dx$$

$$-\sin \Theta$$

$$5\tan^{4}\Theta \cdot \sec^{2}\Theta$$

$$3\tan^{2} \pm \cdot \sec^{2}\Phi$$

$$4e^{x}\cos x - 4e^{x}\sin x$$

$$= 4e^{x} (\cos x - \sin x)$$

$$(1)(\sqrt{x}) - (1+x)(\sqrt{2x})$$

$$x$$

$$\frac{1}{x}(x+1) - \ln x(1)$$

$$(x+1)^{2}$$

$$\frac{1}{3}t^{3/2} + a \ln t + C$$

$$-\frac{1}{5}(a-x)^{5} + C$$

$$-\cos(e^{t}) + C$$

$$\frac{14}{4}$$

$$\frac{14}{-e^{t} + e^{t}} = \frac{-1}{e^{t}} + \frac{1}{e}$$

$$= e^{-1}$$

$$e^{2}$$