

PUT ANSWERS IN BOXES. NO BOOKS/NOTES/CALCULATORS. DO YOUR OWN WORK.
Simplify answers where possible. Include units where needed. All angles are in radians. $\log = \log_{10}$.

1. Simplify as far as you can:

$$\frac{x^2 - 4}{x + 2}$$

$$x - 2$$

2. Simplify by combining using a common denominator:

$$1 + \frac{1}{x}$$

$$\frac{x+1}{x}$$

3. Solve for
- y
- :

$$\frac{y}{2} - 2 = \frac{y}{3}$$

$$y = 12$$

4. Solve for
- t
- :

$$2t - 1 = -\sqrt{2 - t}$$

$$t = -1/4$$

5. Solve for
- r
- :

$$|2r - 4| \geq 8$$

$$(-\infty, -2] \cup [6, \infty)$$

6. Find the equation of the line through the point
- $(0,0)$
- and parallel to the line
- $-x + 2y = 6$
- in
- point-slope*
- form.

$$y - 0 = \frac{1}{2}(x - 0)$$

7. Factor:
- $t^2 - 5t + 6$

$$(t-2)(t-3)$$

8. Find the value of:

$$\sin(\pi)$$

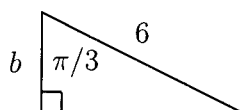
$$0$$

9. Find the value of:

$$\sin\left(\frac{3\pi}{2}\right)$$

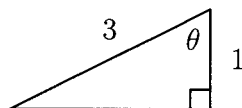
$$-1$$

10. Find the value of
- b
- :



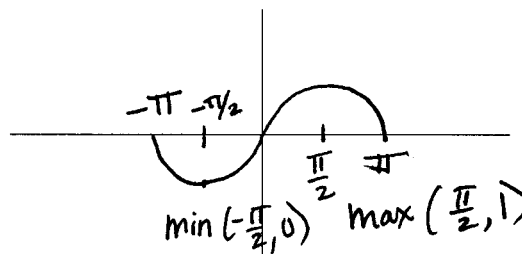
$$b = 3$$

11. Find the value of
- $\cot(\theta)$
- :



$$\frac{1}{\sqrt{8}} = \frac{\sqrt{8}}{8}$$

12. Graph the function $y = \sin(x)$ for $-\pi \leq x \leq \pi$.
Label with the following values (if applicable): each intercept, location of each asymptote, and (x, y) coordinates of each min and max.



13. Simplify:

$$\frac{(6y^3)^4}{2y^5}$$

$$3 \cdot 6^3 y^7 = 648y^7$$

14. Simplify:

$$(3x^2)^3$$

$$27x^6$$

15. Solve for
- x
- (write answer as a rational number):

$$25^{2x+1} = 5$$

$$x = -1/4$$

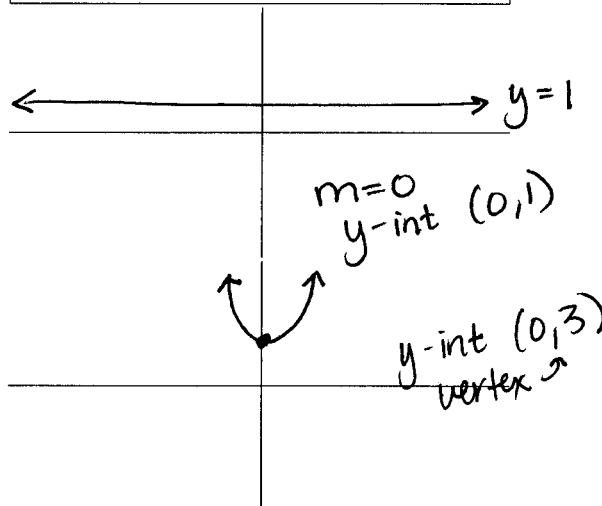
16. Solve for
- x
- :

$$5^{x-3} = 8$$

$$x = 3 + \log_5 8$$

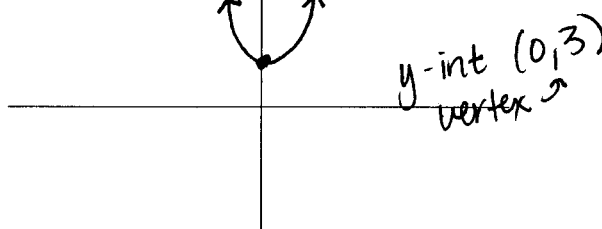
17. Graph the function
- $y = 1$
- .

Label with the following values (if applicable): each intercept, slope, and (x, y) coordinates of vertex.



18. Graph the function
- $y = x^2 + 3$
- .

Label with the following values (if applicable): each intercept, slope, and (x, y) coordinates of vertex.



19. Find the perimeter of a triangle with sides of length 8 meters, 6 meters, and 7 meters.

$$21 \text{ meters}$$

20. Find the volume of a sphere of radius 10 feet.

$$\frac{4000}{3} \pi \text{ ft}^3$$